/Zöbel95/:

- 2 Basics of RT Planning
- 2.1 Process Model
- 2.2 Planning by Searching
- 2.3 EDF (Earliest Deadline First)
- 2.4 LLF (Least Laxity First)
- 2.5 Planning by Monotone Rates
- 2.6 Evaluation of Planning Methods

You remember?

Übersicht

Wozu Prozesse?		
Prozesse vs. Programme		
Prozesszustände und Übergänge		
Zustandsübergänge		
PCB (Process Control Block)		
Prozessumschaltung		
Zustandsübergänge im Einzelnen (Ursachen und Aktionen)		
Scheduling		
Ziele und Bedingungen		
Non-preemptive Scheduling		
FCFS (First Come First Served)		
Suchen		
SJF (Shortest Job First)		
EDF (Earliest Deadline First)		
LLF (Least Laxity First)		
Priority		
Preemptive Scheduling		
Round Robin		
SJF		
EDF		
Priority		
Scheduling-Kombinationen		
Feedback Scheduling		
Multiple Queues		
Prozesse vs. Threads		
Betriebssysteme – Prozess- und Prozessorverwaltung	Arnulf Deinzer, FH Kempten, Sommersemester 2003 3.1	-

BSS1 3.1

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First discussions only for •one processor systems **RT scheduling**: distribution of processor time to processes so that these don't violate their deadlines. Processes (or the OS) may be •non preemptive •preemptive The switch between different processes •context switch needs time, but is not part of following discussions. Processes may be •periodical •non periodical, sporadic.



Process as sequential and limited number of statements



Process parameters for preemptive processes

For a non preemptive process P the following is true $S_i + ? e_i = C_i$ which is **not** right for preemptive processes:



For periodical processes

? p_i is the time frame of a periodical process (period) defining ready times and deadlines for every repetition of that process:



Data (? e_i, r_i, s_i, d_i) may be known
prior to the scheduling: statical RT scheduling
during scheduling: dynamical RT scheduling

Results of RT schedulingcomplete plan: explicite RT schedulingplan rules: implicite RT scheduling

Phases within RT scheduling
feasibility check
schedule, schedule construction
dispatching

A plan for a process set P={1,...,n} is a **practicable plan**, if by given ready times, execution times and deadlines the starting and completion times of all processes are selected so that •no execution times overlap on a processor •all time constraints are fulfilled

A statical (RT) scheduling method is called **optimal**, if it results for all process sets a practical plan if such one exists.

A dynamical (RT) scheduling method is called optimal, if it results for all process sets a practical plan if a statical (RT) scheduling method has found (afterwards, with knowledge of all ready times, execution times) one.

Planning methods

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(*)Priority for preemptive periodic processes

Processes are served in the sequence they enter the system. (Queue, FIFO – First In, First Out).

Example:

Processes P₁, P₂, P₃, P₄ and P₅ enter the system in that sequence at t=0. Execution times: P₁=22, P₂=2, P₃=3, P₄=5, P₅=8, all ready times $r_i=0$. Results in answer('Response', completion, waiting) times (R_i:=c_i-r_i): R₁=22, R₂=22+2=24, R₃=24+3=27, R₄=27+5=32, R₅=32+8=40.





Realtime Systems – RT Scheduling

```
V2: schedule( PL<sub>k</sub>, X<sub>k</sub>):
FORALL (i IN P \ X<sub>k</sub>) AND feasiblePL(PL<sub>k</sub>, i)
schedule(earliestPL(PL<sub>k</sub>, i), X<sub>k</sub>? { i})
```

```
Where

feasiblePL(PL_k, i) tests whether process i

can be integrated in PL_k (gap?)

and

earliestPL(PL_k, i) uses plan PL_k and

adds process i into earliest gap resulting in

plan PL_{k+1}.
```

With •ready times •deadlines

Non preemptive scheduling: by searching (with r_i, d_i), example



Are there other practicable plans?

Non preemptive scheduling: by searching (with r_i, d_i), example



Which plans are practicable? Are there other practicable plans?

Process with shortest execution time gets CPU first (if equal: FCFS).

Example: Execution times: $P_1=22$, $P_2=2$, $P_3=3$, $P_4=5$, $P_5=8$, all ready times $r_i=0$. Response times: $R_1=40$, $R_2=2$, $R_3=5$, $R_4=10$, $R_5=18$.

$$R_{?} = SR_{i}/5 = 15$$



Non preemptive scheduling: SJF (example)



 $R_2 = SR_i / 5 = (24 + 2 + 23 + 28 + 36) / 5 = 113 / 5 = 22,6$

Example: Execution times: $P_1=22, P_2=2, P_3=3, P_4=5, P_5=8,$ Ready times: $P_1=0, P_2=0, P_3=4, P_4=4, P_5=4.$



Processes P = {1,...,n} are already ordered by their deadlines: 1<=i<=j<=n ? $d_i <= d_j$

```
V3: schedule( PL,P):

PL = <>;

i = 1;

WHILE ( i <= n) AND feasiblePL(PL, i)

BEGIN

PL = deadlinePL(PL??i);

i = i +1;

END
```

Where: *deadlinePL(PL_k, i*)

makes from given plan PL_k by introducing of process *i* (with smallest deadline of all runnable processes) plan PL_{k+1} .

Select from the runnable processes that process, who's laxity

 $2 \ln x_i = (d_i - r_i) - 2 e_i$

is the shortest.



Non preemptive scheduling: LLF vs. EDF



Non preemptive scheduling: LLF vs. EDF



Example:

Given 2 CPUs and non preemptive processes $P = \{1, 2, 3, 4\}$ with:







Non preemptive scheduling: priority



/Tanenbaum02/

Non-preemptive scheduling strategies are not appropriate for dialog systems and may definitely not used for RT systems.

You easily find (counter) examples!

So the OS has the right to take away the CPU from a process in preemptive scheduling strategies. This mechanism is also used on a regular base.

Most scheduling strategies for non preemptive systems can be used in preemptive systems too.

Ready processes wait – as FCFS – in a waiting queue.

First process gets CPU – but only for a certain amount of time (**time slice**, quantum); if process doesn't finish in that time slice he will be interrupted and put at the end of the waiting queue.



Execution times: P₁=22, P₂=2, P₃=3, P₄=5, P₅=8.



Quantum 3 time units, switching time (not realistic!) 0 time units.

- •What's the sequence of the processes?
- •What's the average response time?

Preemptive scheduling: round robin (example)





Realtime Systems – RT Scheduling

Most non preemptive strategies can be used preemptive too, e.g. SJF, priority scheduling or EDF (earliest deadline first).

At the preemptive version of SJF the running process is stopped as soon as a new (ready) process enters the system. Now the scheduler calculates, which process has the smalles (remaining!) execution time and selects this one for the processor.

Example:

Execution times:

Ready times:

$$P_1=0, P_2=0, P_3=4, P_4=4, P_5=4.$$



Preemptive scheduling: SJF (example)



 $R_{2} = SR_{i}/5 = (40+2+3+8+16)/5 = 69/5 = 13,8$

Compare completion times (and their average) with non preemptive SJF!



Preemptive vs non preemptive scheduling: SJF (example)



 $R_{2} = SR_{i}/5 = (24+2+23+28+36)/5 = 113/5 = 22,6$

Example: Execution times: $P_1=22, P_2=2, P_3=3, P_4=5, P_5=8,$ Ready times: $P_1=0, P_2=0, P_3=4, P_4=4, P_5=4.$



Preemptive scheduling: EDF

Remember how we've done it **non** preemptive:

Non preemptive scheduling: EDF (Earliest Deadline First)

```
Processes P = {1,...,n} are already ordered by their deadlines:

1 \le i \le j \le n? d_i \le d_j

V3: schedule(PL,P):

PL = <>;

i = 1;

WHILE (i \le n) AND feasible PL(PL, i)

BEGIN

PL = deadlinePL (PL?);

i = i + 1;

END
```

Where:
deadlinePL(PL_k, i)makes from given plan PL_k by introducing of process i
(with smallest deadline of all runnable processes) plan PL_{k+1} .Realtime Systems – RT Scheduling

Processes $P = \{1,...,4\}$ can be interrupted (i.e. we have a preemptive OS):

	r _i	d _i	? e _i
i=1	0	5	4
i=2	0	7	1
i=3	0	7	2
i=4	0	13	5

Try to adapt V3 (EDF, non preemptive) for the preemptive case! Work your algorithm on processes above!

Preemptive scheduling: EDF

V4: Schedule(PL,P):			Exom	a la.		
PL=<>;			Exam	pie:		
t=min {r _i i? P}				r.	d.	?е.
WHILE ? allinPL(t) DO			• 1	1	a ₁	$\cdot \circ_1$
IF Ready(t) $=$ $<>$ THEN t $=$ nextaxail(t);	,		1=1	0	4	2
ELSE			i=2	3	14	3
BEGIN i=edf(Ready(f));			i=3	6	12	3
IF ? feasible(i,t) THEN BREAK	.,		i=4	5	10	4
?l=min(rest(i,t), nextavail(t)-t);						
$PL=PL^{(i,t, ?1)};$						
t=t+?1;						
END;						
	P_1	P_2	P_4	P_4	P ₃	P_2
0		3	5 6		9	12

Most non preemptive strategies can be used preemptive too, e.g. SJF, priority scheduling or EDF (earliest deadline first).

At the preemptive version of priority scheduling the running process is stopped as soon as a new (ready) process enters the system. Now the scheduler checks, which process has the highest priority (which may the smallest number!) and selects this one for the processor.

Exercise:

Given a preemptive system with processes P_1 , P_2 , P_3 , P_4 , P_5 which enter in that sequence at the same time (sorry!) the system. They have execution times $P_1=15$, $P_2=7$, $P_3=1$, $P_4=4$, $P_5=8$. What is the average response time if as strategy •FCFS •SJF

•Round Robin with Q=4 is selected?

Preemptive scheduling: planing game(1)







Preemptive scheduling: planing game(2, t=2)





Preemptive scheduling: planing game(2, t=3)





Preemptive scheduling: planing game(2, t=4)





Preemptive scheduling: planing game(2, t=5)





Preemptive scheduling: planing game(2, t=6)





Preemptive scheduling: planing game(2, t=7)



Comparison scheduling strategies

Strategie des	angewandt auf			
Planungverfahrens	unterbrechbare Prozesse	nicht unterbrechbare Prozesse		
Planen durch Suchen		Optimale Plane bei einem Auf- wand von $O(n!)$, grundsätzlich: Problem ist NP-vollständig		
Planen nach Fristen	Optimal für sporadische und periodische Prozesse, für statische und dyna- mische Planungsverfahren	Optimal bei Prozessen mit glei- chen Bereitzeiten		
Planen nach Spiel- räumen	Bei Mehrprozessorsyste- men: optimal für statische Planungsverfahren, nicht optimal bei dynamischen Planungsverfahren	Bei den Mehrprozessorsyste- men unabhängig von der Stra- tegie des Planungsverfahrens: NP-vollständig schon bei 2 Pro- zessoren mit gleichen Bereitzei- ten und gleichen Fristen		
Planen nach mono- tonen Raten	Für <i>n</i> periodische Prozesse: optimal nur für Auslastun- gen $U \leq n(\sqrt[3]{2} - 1)$, dafür aber mittels Prioritätszu- ordnung einfach implemen- tierbar			